

AMENDMENTS TO THE CLAIMS

This listing of claims will replace all prior versions, and listings, of claims in the application:

1. (Currently amended) A computer implemented system that facilitates building a statistical model for a computer readable data set, comprising:
 - a first training algorithm that efficiently builds a rough model from a subset of the computer readable data set;
 - an evaluation component that determines whether the subset of the computer readable data set is an appropriate subset to build a model for the computer readable data set; [[and]]
 - a second training algorithm that builds a refined model for the computer readable data set from the subset if deemed appropriate by the evaluation component, the refined model discovers good clustering of data for a fixed number of clusters; and
 - a data scheduler that, based on a data policy, adaptively controls the size of subsets for which the first algorithm is applied.
2. (Cancelled)
3. (Currently amended) The system of claim 1 [[2]], ~~wherein~~ the data scheduler increases the size of the subset to provide a larger aggregate subset of the data set if the rough model is unacceptable, the first training algorithm efficiently builds the rough model for each larger aggregate subset of the data until the evaluation component determines the resulting rough model to be acceptable.
4. (Currently amended) The system of claim 3, ~~wherein~~ the acceptability of each rough model is determined based on a stopping criterion functionally related to an expected incremental benefit and a cost associated with increasing the size of the aggregate subset of the data set.

5. (Currently amended) The system of claim 4, ~~wherein~~ the cost of the stopping criterion is functionally related to at least one of time associated with evaluating an aggregate data subset of increased size and size of the aggregated subset of the data.

6. (Currently amended) The system of claim 4, ~~wherein~~ the stopping criterion is defined by

$$\left(\frac{l(D_{HO} | \theta(D_n)) - l(D_{HO} | \theta(D_{n-1}))}{l(D_{HO} | \theta(D_n)) - l(D_{HO} | \theta_{BASE}(D_n))} \right) \frac{1}{c_1(I_1 - \bar{J}_n) | \Delta D_{n+1} | + c_2(I_1 - \bar{J}_n) + c_1 \bar{J}_n | D_{n+1} | + c_2 \bar{J}_n + c_3} < \lambda$$

where

$l(D_{HO} | \theta(D_n))$ is a log likelihood for holdout data evaluated for the model built by the first training algorithm on a current subset of the training data set,

$l(D_{HO} | \theta(D_{n-1}))$ is a log likelihood for holdout data evaluated for the model built by the first training algorithm on a previous subset of the training data set,

$l(D_{HO} | \theta_{base}(D_n))$ is a log likelihood for holdout data evaluated for a base model,

c_1 , c_2 , and c_3 are constants determined based on application of the second training algorithm relative to a first subset of the data set,

I_1 is a number of iterations for the second training algorithm, when applied to the first subset,

$$\bar{J}_n = \frac{1}{n} \sum_{i=1}^n J_i, \text{ and}$$

J_i is the number of iterations for the first training algorithm when applied to a data subset D_i ,

$|D_{n+1}|$ is the size of data set D_{n+1} ,

$|\Delta D_{n+1}|$ is the increment in size $|D_{n+1}| - |D_n|$,

λ is a user determined stopping threshold .

7. (Currently amended) The system of claim 4, ~~wherein~~ the stopping criterion is defined by

$$\left(\frac{l(D_{HO} | \theta(D_n)) - l(D_{HO} | \theta(D_{n-1}))}{l(D_{HO} | \theta(D_n)) + \delta - l(D_{HO} | \theta_{BASE}(D_n))} \right) \frac{1}{c_1(I_1 - \bar{J}_n) | \Delta D_{n+1} | + c_2(I_1 - \bar{J}_n) + c_1 \bar{J}_n | D_{n+1} | + c_2 \bar{J}_n + c_3} < \lambda$$

where

$l(D_{HO} | \theta(D_n))$ is a log likelihood for holdout data evaluated for the model built by the first training algorithm on a current subset of the training data set,

$l(D_{HO} | \theta(D_{n-1}))$ is a log likelihood for holdout data evaluated for the model built by the first training algorithm on a previous subset of the training data set,

$l(D_{HO} | \theta_{base}(D_n))$ is a log likelihood for holdout data evaluated for a base model,

δ is an offset associated with a difference in log likelihood for holdout data when evaluated for models built on a first subset of the training data set by the respective first and second training algorithms,

c_1 , c_2 , and c_3 are constants determined based on application of the second training algorithm relative to a first subset of the data set,

I_1 is a number of iterations for the second training algorithm, when applied to the first subset,

$$\bar{J}_n = \frac{1}{n} \sum_{i=1}^n J_i, \text{ and}$$

J_i is the number of iterations for the first training algorithm when applied to a data subset D_i ,

$|D_{n+1}|$ is the size of data set D_{n+1} ,

$|\Delta D_{n+1}|$ is the increment in size $|D_{n+1}| - |D_n|$, and

λ is a user determined stopping threshold.

8. (Currently amended) The system of claim 1, ~~wherein~~ the first training algorithm further comprises an iterative algorithm, which builds the rough model for the subset of the data set according to an associated training policy.

9. (Currently amended) The system of claim 8, ~~wherein~~ the first training algorithm further comprises an associated training policy that defines parameter initialization of the first training algorithm for each subset of the data set.

10. (Currently amended) The system of claim 9, ~~wherein~~ the training policy associated with the first training algorithm further controls parameter initialization of the first training algorithm, such that at least some of the parameters computed for a previous subset of the data are employed to initialize the first training algorithm for a subsequent larger aggregate subset of the data.

11. (Currently amended) The system of claim 9, ~~wherein~~ the first training algorithm is initialized by the same parameter values for each subset of the data subset.

12. (Currently amended) The system of claim 9, ~~wherein~~ the training policy sets the iterative algorithm to perform a fixed number of at least one iteration.

13. (Currently amended) The system of claim 12, ~~wherein~~ the training policy sets the iterative algorithm to perform a single iteration.

14. (Currently amended) The system of claim 12, ~~wherein~~ the second training algorithm further comprises an iterative algorithm that operates according to an associated training policy, so as to produce a more accurate model for the appropriate subset of the data set than the first training algorithm.

15. (Currently amended) The system of claim 14, ~~wherein~~ the iterative algorithm associated with at least one of the first and second training algorithms is an Expectation and Maximization algorithm.

16. (Currently amended) The system of claim 8, ~~wherein~~ the training policy associated with the iterative algorithm of the first training algorithm controls the iterative algorithm to run until an associated convergence criterion is satisfied.

17. (Currently amended) The system of claim 16, ~~wherein~~ second training algorithm further comprises an iterative algorithm, which builds the refined model for the appropriate subset of the data set according to an associated training policy.

18. (Currently amended) The system of claim 17, ~~wherein~~ the training policy associated with the iterative algorithm of the second training algorithm controls the respective iterative algorithm to run until an associated convergence criterion is satisfied, ~~wherein~~ the convergence criterion associated with the second training algorithm provides improved model quality relative to the convergence criterion associated with the first training algorithm.

19. (Currently amended) A computer implemented system programmed to facilitate building a statistical model, comprising:

a first parameter estimation algorithm that efficiently builds a rough model from a subset of a computer readable data set based on a training policy associated therewith; and

an evaluation component that determines whether the subset of data from which the rough model was built is an appropriate size for building the statistical model to characterize the data set, the evaluation component utilizes a stopping criterion that is functionally related to an expected incremental benefit and an expected incremental cost associated with increasing the size of the subset of data;

a second parameter estimation algorithm that builds a refined model for the data set from the subset if determined to have the appropriate size, the second parameter estimation algorithm having an associated training policy, which enables the second parameter estimation algorithm to build a more accurate model than the first parameter estimation algorithm, the more accurate model employed to identify clusters of data within the computer readable data set.

20. (Previously presented) The system of claim 19, further comprising a data scheduler that increases the size of the subset of the data set to provide a larger aggregate subset of the data set if the rough model is unacceptable, the first parameter estimation algorithm efficiently builds a rough model for each larger aggregate subset until a resulting rough model built therefrom is determined to be acceptable.

21. (Currently amended) The system of claim 19, ~~wherein~~ the first parameter estimation algorithm further comprises an iterative algorithm that builds the rough model for each subset of the data set according to the associated training policy.

22. (Currently amended) The system of claim 21, ~~wherein~~ the training policy for the first parameter estimation algorithm is operative to control parameter initialization for the first parameter estimation algorithm, such that at least some of the parameters computed for a previous subset of the data are employed to initialize the first parameter estimation algorithm for a subsequent larger aggregate subset of the data set.

23. (Currently amended) The system of claim 21, ~~wherein~~ the first parameter estimation algorithm is initialized by the same parameter values for each subset of the data subset.

24. (Currently amended) The system of claim 21, ~~wherein~~ the training policy associated with first parameter estimation algorithm controls the iterative algorithm of the first parameter estimation algorithm to perform a fixed number of at least one iteration, the second training algorithm further comprising an iterative algorithm, which is operative to perform a greater number of iterations than the iterative algorithm of the first training algorithm based on a training policy associated with the second parameter estimation algorithm.

25. (Currently amended) The system of claim 21, ~~wherein~~ the training policy associated with the iterative algorithm of the first parameter estimation algorithm controls the iterative algorithm to run until an associated convergence threshold is satisfied, ~~wherein~~ the second training algorithm further comprises an iterative algorithm, the training policy associated with the iterative algorithm of the second parameter estimation algorithm being operative to control the respective iterative algorithm to run until an associated convergence threshold is satisfied, the convergence threshold associated with the second parameter estimation algorithm is less than the convergence threshold associated with the first parameter estimation algorithm.

26. (Cancelled)

27. (Currently amended) The system of claim 19 ~~[[26]]~~, ~~wherein~~ the cost of the stopping criterion is functionally related to at least one of time associated with evaluating the model for a larger subset of data and size of the larger subset of the data.

28. (Currently amended) The system of claim 19 [[26]] , wherein the stopping criterion is defined by

$$\left(\frac{l(D_{HO} | \theta(D_n)) - l(D_{HO} | \theta(D_{n-1}))}{l(D_{HO} | \theta(D_n)) - l(D_{HO} | \theta_{BASE}(D_n))} \right) \frac{1}{c_1(I_1 - \bar{J}_n) | \Delta D_{n+1} | + c_2(I_1 - \bar{J}_n) + c_1 \bar{J}_n | D_{n+1} | + c_2 \bar{J}_n + c_3} < \lambda$$

where

$l(D_{HO} | \theta(D_n))$ is a log likelihood for holdout data evaluated for the model built by the first training algorithm on a current subset of the training data set,

$l(D_{HO} | \theta(D_{n-1}))$ is a log likelihood for holdout data evaluated for the model built by the first training algorithm on a previous subset of the training data set,

$l(D_{HO} | \theta_{base}(D_n))$ is a log likelihood for holdout data evaluated for a base model,

c_1 , c_2 , and c_3 are constants determined based on application of the second parameter estimation algorithm relative to a first subset of the data set,

I_1 is a number of iterations for the second parameter estimation algorithm, when applied to the first subset,

$$\bar{J}_n = \frac{1}{n} \sum_{i=1}^n J_i, \text{ and}$$

J_i is the number of iterations for the first parameter estimation algorithm when applied to a data subset D_i ,

$|D_{n+1}|$ is the size of data set D_{n+1} ,

$|\Delta D_{n+1}|$ is the increment in size $|D_{n+1}| - |D_n|$, and

λ is a user determined stopping threshold.

29. (Currently amended) The system of claim 19 [[26]], wherein the stopping criterion is defined by

$$\left(\frac{l(D_{HO} | \theta(D_n)) - l(D_{HO} | \theta(D_{n-1}))}{l(D_{HO} | \theta(D_n)) + \delta - l(D_{HO} | \theta_{BASE}(D_n))} \right) \frac{1}{c_1(I_1 - \bar{J}_n) | \Delta D_{n+1} | + c_2(I_1 - \bar{J}_n) + c_1 \bar{J}_n | D_{n+1} | + c_2 \bar{J}_n + c_3} < \lambda$$

where

$l(D_{HO} | \theta(D_n))$ is a log likelihood for holdout data evaluated for the model built by the first training algorithm on a current subset of the training data set,

$l(D_{HO} | \theta(D_{n-1}))$ is a log likelihood for holdout data evaluated for the model built by the first training algorithm on a previous subset of the training data set,

$l(D_{HO} | \theta_{base}(D_n))$ is a log likelihood for holdout data evaluated for a base model,

δ is an offset associated with a difference in log likelihood for holdout data when evaluated for models built on a first subset of the training data set by the respective first and second training algorithms,

c_1 , c_2 , and c_3 are constants determined based on application of the second parameter estimation algorithm relative to a first data subset of the data set,

I_1 is a number of iterations for the second parameter estimation algorithm, when applied to a first data subset,

$$\bar{J}_n = \frac{1}{n} \sum_{i=1}^n J_i, \text{ and}$$

J_i is the number of iterations for the first parameter estimation algorithm when applied to a data subset D_i ,

$|D_{n+1}|$ is the size of data set D_{n+1} ,

$|\Delta D_{n+1}|$ is the increment in size $|D_{n+1}| - |D_n|$, and

λ is a user determined stopping threshold.

30. (Currently amended) A computer implemented learning curve method to facilitate building a statistical model, comprising:

- choosing a subset of a computer readable data set;
- employing a first training algorithm to build a rough model to characterize the subset;
- evaluating the rough model;
- if the rough model is unacceptable, repeatedly increasing the size of the subset of data to provide an aggregate data set, building another rough model to characterize the aggregate subset, and reevaluating the model, the acceptability of each rough model based on a stopping criterion functionally related to an expected incremental benefit and an expected incremental cost associated with increasing the size of the aggregate subset; and
- if the model is acceptable, employing a second training algorithm to build a refined model based on the aggregate data set, the second training algorithm being different from the first training algorithm, the refined model identifies data clusters contained in the computer readable data set.

31. (Cancelled)

32. (Currently amended) The system of claim ~~[[31]]~~ 30, ~~wherein~~ the cost of the stopping criterion is functionally related to at least one of time associated with evaluating an aggregate data subset of increased size and size of the aggregate subset of the data.

33. (Currently amended) The system of claim [[31]] 30, wherein the stopping criterion is defined by

$$\left(\frac{l(D_{HO} | \theta(D_n)) - l(D_{HO} | \theta(D_{n-1}))}{l(D_{HO} | \theta(D_n)) - l(D_{HO} | \theta_{BASE}(D_n))} \right) \frac{1}{c_1(I_1 - \bar{J}_n) | \Delta D_{n+1} | + c_2(I_1 - \bar{J}_n) + c_1 \bar{J}_n | D_{n+1} | + c_2 \bar{J}_n + c_3} < \lambda$$

where

$l(D_{HO} | \theta(D_n))$ is a log likelihood for holdout data evaluated for the model built by the first training algorithm on a current subset of the training data set,

$l(D_{HO} | \theta(D_{n-1}))$ is a log likelihood for holdout data evaluated for the model built by the first training algorithm on a previous subset of the training data set,

$l(D_{HO} | \theta_{base}(D_n))$ is a log likelihood for holdout data evaluated for a base model,

c_1 , c_2 , and c_3 are constants determined based on application of the second parameter estimation algorithm relative to a first subset of the data set,

I_1 is a number of iterations for the second parameter estimation algorithm, when applied to the first subset,

$$\bar{J}_n = \frac{1}{n} \sum_{i=1}^n J_i, \text{ and}$$

J_i is a number of iterations for the first parameter estimation algorithm when applied to a data subset D_i ,

$|D_{n+1}|$ is a size of data set D_{n+1} ,

$|\Delta D_{n+1}|$ is an increment in size $|D_{n+1}| - |D_n|$, and

λ is a user determined stopping threshold.

34. (Currently amended) The system of claim [[31]] 30, ~~wherein~~ the stopping criterion is defined by

$$\left(\frac{l(D_{HO} | \theta(D_n)) - l(D_{HO} | \theta(D_{n-1}))}{l(D_{HO} | \theta(D_n)) + \delta - l(D_{HO} | \theta_{BASE}(D_n))} \right) \frac{1}{c_1(I_1 - \bar{J}_n) | \Delta D_{n+1} | + c_2(I_1 - \bar{J}_n) + c_1 \bar{J}_n | D_{n+1} | + c_2 \bar{J}_n + c_3} < \lambda$$

where

$l(D_{HO} | \theta(D_n))$ is a log likelihood for holdout data evaluated for the model built by the first training algorithm on a current subset of the training data set,

$l(D_{HO} | \theta(D_{n-1}))$ is a log likelihood for holdout data evaluated for the model built by the first training algorithm on a previous subset of the training data set,

$l(D_{HO} | \theta_{base}(D_n))$ is a log likelihood for holdout data evaluated for a base model,

δ is an offset associated with the difference in log likelihood for holdout data when evaluated for models built on a first subset of the training data set by the respective first and second training algorithms,

c_1 , c_2 , and c_3 are constants determined based on application of the second parameter estimation algorithm relative to a first data subset of the data set,

I_1 is a number of iterations for the second parameter estimation algorithm, when applied to a first data subset,

$$\bar{J}_n = \frac{1}{n} \sum_{i=1}^n J_i, \text{ and}$$

J_i is a number of iterations for the first parameter estimation algorithm when applied to a data subset D_i ,

$|D_{n+1}|$ is a size of data set D_{n+1} ,

$|\Delta D_{n+1}|$ is an increment in size $|D_{n+1}| - |D_n|$, and

λ is a user determined stopping threshold.

35. (Currently amended) The method of claim 30, ~~wherein~~ the first training algorithm is more computationally efficient than the second training algorithm.

36. (Currently amended) The method of claim 30, ~~wherein~~ each instance of model building repeated until obtaining an acceptable model by the first training algorithm employs more efficient and less accurate model building than model building employed by the second training algorithm that occurs after obtaining the acceptable model.

37. (Currently amended) The method of claim 36, ~~wherein~~ each instance of model building repeated until obtaining an acceptable model employs the first training algorithm as an iterative algorithm that is run to a first convergence criterion, the second training algorithm employing an iterative algorithm that is run to a second convergence criterion, which demands more iterations than the first convergence criterion in order to obtain convergence, so that the refined model is more accurate than the rough model built by the first training algorithm.

38. (Currently amended) The method of claim 36, ~~wherein~~ each instance of model building repeated until obtaining an acceptable model employs an iterative algorithm having a fixed number of at least one iteration, the second training algorithm employing an iterative algorithm having a greater number of iterations than the fixed number.

39. (Original) The method of claim 30, further comprising controlling parameter initialization employed in each instance of building a model for the aggregate data set prior to obtaining an acceptable model.

40. (Original) The method of claim 39, further comprising initializing the first training algorithm by the same parameter values for each subset.

41. (Currently amended) The method of claim 39, ~~wherein~~ the controlling further comprises reusing at least some of the parameters computed from a previous instance of model building to initialize a subsequent instance of model building for a subsequent larger aggregate data set prior to obtaining an acceptable model.

42. (Currently amended) A computer-readable medium having computer-executable instructions for:

- choosing a subset of a computer readable data set;
- building a rough model to characterize the subset based on an associated training policy;
- evaluating the rough model;
- if the rough model is unacceptable, repeatedly increasing the size of the subset of data to provide an aggregate data set, building a rough model to characterize the aggregate subset based on an associated training policy, and reevaluating the rough model; [[and]]
- building a refined model for the computer readable data set from the aggregate data set if the rough model is determined to be acceptable based on an associated training policy that includes determining acceptability based on an expected incremental benefit relative to an expected incremental cost associated with increasing the size of the aggregate data set; and
- utilizing the refined model to identify identifiable clusters in the computer readable data set.

43. (Cancelled)

44. (Currently amended) A computer implemented method to facilitate constructing a statistical model, comprising:

separating computer readable data into holdout data and training data;
determining a data subset from the training data by estimating model parameters according to a first training policy and evaluating the estimated model parameters relative to the holdout data set and repeating the estimation and evaluation of model parameters with a larger subset of the training data until an acceptable quality of the estimated model is established; [[and,]]

controlling parameter initialization employed in each estimation of model parameters repeatedly until an acceptable size for the determined data subset is achieved;
and

subsequent to establishing the acceptable quality of the estimated model, using the determined data subset to improve the estimated model parameters by employing a second training policy that is more accurate than the first training policy, the estimated model parameters obtained from employment of the second training policy utilized to characterize at least one cluster within the computer readable data.

45. (Currently amended) The method of claim 44, ~~wherein~~ each estimation of model parameters repeated until the acceptable quality of the estimated model is established further comprises employing an iterative algorithm that is run until a first convergence criterion is satisfied, the estimation of model parameters using the determined data subset further comprising an iterative algorithm that is run until a second convergence criterion is satisfied, which is operative to provide a better quality of model than the first convergence criterion.

46. (Currently amended) The system of claim 45, ~~wherein~~ the first convergence criterion causes the associated iterative algorithm to run until a first convergence threshold is satisfied, ~~wherein~~ the second convergence criterion causes the associated iterative algorithm to run until a second convergence threshold is satisfied, the second convergence threshold being less than the first convergence threshold.

47. (Currently amended) The method of claim 45, ~~wherein~~ at least one of the iterative algorithm run to the first convergence criterion and the iterative algorithm run to the second convergence criterion is an Expectation and Maximization algorithm.

48. (Currently amended) The method of claim 44, ~~wherein~~ each estimation of model parameters repeated until the acceptable quality of the estimated model is established employs an iterative algorithm having a fixed number of at least one iteration, the estimation of model parameters using the determined data subset further employing an iterative algorithm having a greater number of iterations than the fixed number.

49. (Cancelled)

50. (Currently amended) The method of claim 44, ~~wherein~~ the controlling further comprises reusing at least some of the parameters computed from a previous estimation of model parameters to initialize a subsequent estimation of model parameters for a next larger subset of the training set.

51. (Currently amended) The method of claim 44, ~~wherein~~ each estimation of model parameters repeated until the acceptable quality of the estimated model is established further comprises initializing the first training algorithm by the same parameter values.

52. (Original) The method of claim 44, further comprising determining the acceptability of the estimated model based on an expected incremental benefit relative to a cost associated with increasing the size of the subset of the data set.

53. (Currently amended) A computer-readable medium having computer-executable instructions for:

separating computer readable data into holdout data and training data;
determining a data subset from the training data by estimating model parameters and controlling model parameter initialization, according to a first training policy and evaluating the estimated model parameters relative to the holdout data set and repeating the estimation, initialization, and evaluation of model parameters with a next successively larger subset of the training data set until an acceptable quality of the estimated model is established; [[and]]

subsequent to establishing the acceptable quality of the estimated model, using the determined data subset to improve the estimated model parameters by employing a second training policy that is more accurate than the first training policy; and

utilizing the estimated model parameters determined by utilization of the second training policy to identify a cluster in the computer readable data.

54. (Currently amended) A computer implemented method to facilitate constructing a statistical model, comprising:

- separating computer readable data into a holdout data set and a training data set;
- iteratively estimating model parameters for a subset of the training data set over a fixed number of iterations and evaluating the estimated model parameters relative to the holdout data set;
- repeating the estimation and evaluation of model parameters obtained with successively larger subsets of the training data set until an acceptable model quality is established, acceptable model quality determined based on an expected incremental benefit relative to an expected incremental detriment associated with an increase in size of each larger training subset of the data set; [[and]]
- after the acceptable model quality is established, iteratively estimating model parameters for the data subset, which provided the acceptable model quality, until a better quality of model is provided relative to a preceding estimation performed over the fixed number of iterations; and
- using the better quality model relative to the computer readable data to identify at least a cluster of data within the computer readable data.

55. (Currently amended) The method of claim 54, ~~wherein~~ at least one of the iterative estimations employs an Expectation and Maximization algorithm.

56. (Currently amended) The method of claim 54, ~~wherein~~ the estimation that occurs after the acceptable model quality is established, further comprises employing an iterative algorithm having a greater number of iterations than the fixed number.

57. (Currently amended) The method of claim 54, ~~wherein~~ the estimation of model parameters after the acceptable model quality has been established further comprises employing an iterative algorithm that is run until a convergence criterion is satisfied, which is operative to provide a better quality of model with the data subset than a preceding estimation employing the fixed number of iterations.

58. (Original) The method of claim 54, further comprising controlling parameter initialization for each estimation of model parameters that occurs before the acceptable model quality has been established.

59. (Currently amended) The method of claim 58, ~~wherein~~ each iterative estimation until the acceptable model quality is established further comprises initializing the first training algorithm by the same parameter values.

60. (Currently amended) The method of claim 58, ~~wherein~~ the controlling further comprises reusing at least some of the parameters obtained in a previous estimation of model parameters to initialize a subsequent estimation of model parameters for a next larger subset of the training data set.

61. (Cancelled)

62. (Currently amended) A computer implemented method to facilitate constructing a statistical model, comprising:

- separating computer readable data into a holdout data set and a training data set;
- iteratively estimating model parameters for a subset of the training data set until a first convergence threshold is satisfied and evaluating the estimated model parameters relative to the holdout data set;
- repeating the estimation and evaluation of model parameters obtained with successively larger subsets of the training data set until determining a size of data subset that provides acceptable model parameters, acceptable model parameters attained where the expected marginal cost outweighs the expected marginal benefit associated with successively larger subsets; [[and]]
- after determining the size of data subset that provides acceptable model parameters, iteratively estimating model parameters for a data subset of the acceptable size until a second convergence threshold is satisfied, the second convergence threshold being less than the first convergence threshold; and
- based at least on the estimated model parameters identified at the second convergence threshold, identifying a good clustering of data relative to the computer readable data.

63. (Currently amended) A computer implemented system to facilitate building a statistical model for a computer readable data set, comprising:

first means for building a rough model to characterize a subset of the computer readable data set;

evaluation means for evaluating the acceptability of the rough model based at least in part on an expectational cost-benefit analysis, the first means building another rough model for a larger subset of the data if the evaluation means determines that a prior rough model is unacceptable; [[and]]

second means, which is different from the first means, for building a refined model from an aggregate subset of data that yielded the rough model deemed acceptable by the evaluation means; and

means for identifying a cluster of data within the computer readable data set based in part on the refined model.

64. (Currently amended) A computer implemented system to facilitate building a statistical model for a computer readable data set, comprising:

first means for estimating model parameters from a subset of the computer readable data set;

means for evaluating the estimated model parameters relative to a holdout set of the data set;

means for determining a data subset from the training data by causing the first means and the means for evaluating to respectively repeat estimation and evaluation of model parameters with a next successively larger subset of the training data set until an acceptable quality of the model parameters is established, the quality of the model parameters established when the expected cost of generating the next successively larger subset outweighs the expected benefit in accuracy of utilizing the next successively larger subset; [[and]]

second means for estimating model parameters based on the determined data subset to provide a more accurate estimation of model parameters than the first means; and

means for determining a cluster of data contained in the computer readable data set based on the more accurate estimation of model parameters.